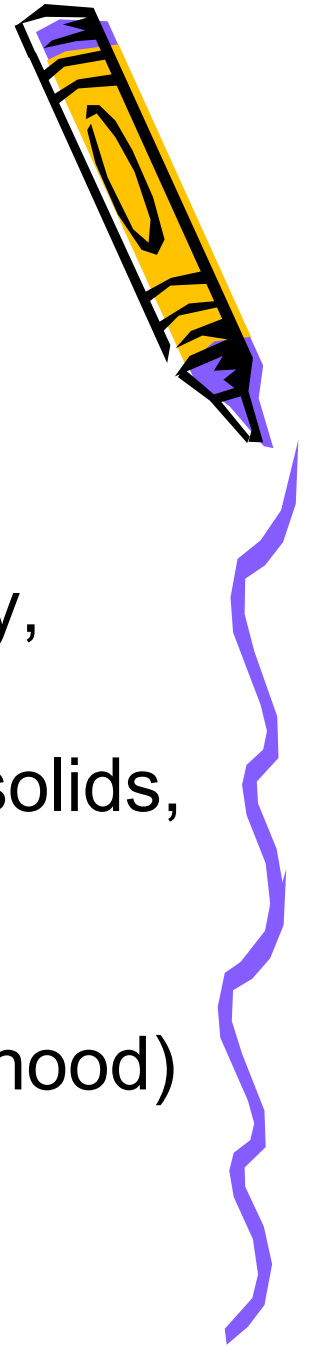


Putting it all together - Thermodynamics

- Study the relationship of work, heat and energy
- Understand relationships between density, pressure, temperature, energy
- Understand properties of gases, liquids, solids, phase transitions,...
- Understand heat engines and their limits
- new concept: Entropy (disorder \Leftrightarrow likelihood)



Work, Heat, Internal Energy

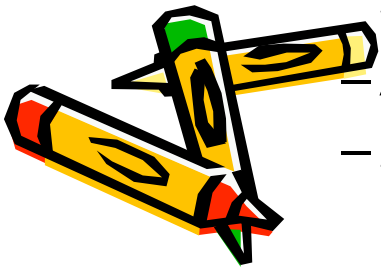


- **1st Law of Thermodynamics:** $\Delta E(\text{internal}) = \text{Heat added to} + \text{Work done on system}$
(Energy conservation; “You cannot win”)
- Examples:
 - Flame (or anything hotter than the system) => heat flow
 - Resistive heating, friction, impact heating, radiation...
 - Special case: Gases -> can do work by changing volume
 - move surface area A by a distance d inwards:
 - Need to exert force $F = P \cdot A$ on surface
 - Work done **on** system $Fd = P \cdot Ad = P(-\Delta V)$ (general rule)
 - either internal energy (temperature!) increases, or the system gives off heat. Example: Bicycle pump



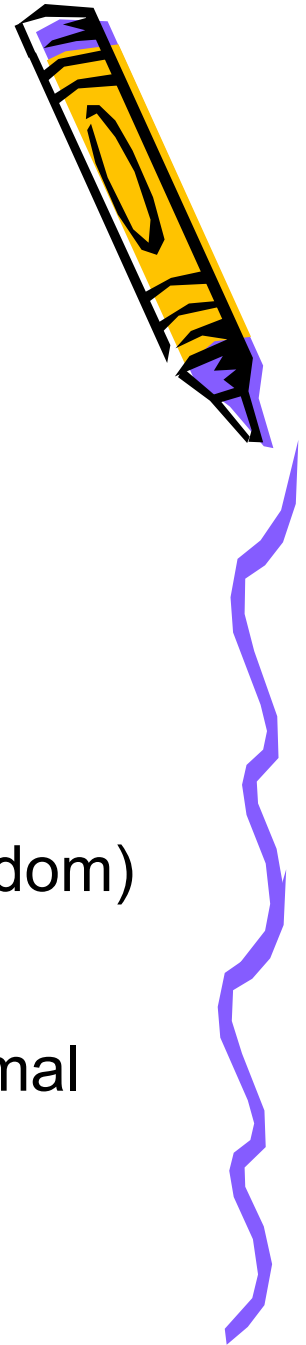
Consequences

- If you add heat to a system while letting it do work (steam engine!), its internal energy will increase **less** (steam less hot)
- If you do **not** add heat to a system while letting it do work (releasing gas from a pressure bottle, air rising up and expanding) the system will lose internal energy (gets **colder!**) [Adiabatic Processes]
- Note: decreasing volume of gas increases pressure (Boyle's Law); but temperature increases (if process is adiabatic) -> pressure increases even more!
 - $P \propto 1/V$ (Boyle's Law: more frequent bouncing off walls)
 - $\Delta E(\text{internal}) = P(-\Delta V)$; $E(\text{intl})$ increases; T [in Kelvin] $\propto E(\text{intl})$
 - $P \propto T$ [in Kelvin] (more energy/molecule -> more and harder bouncing off walls)



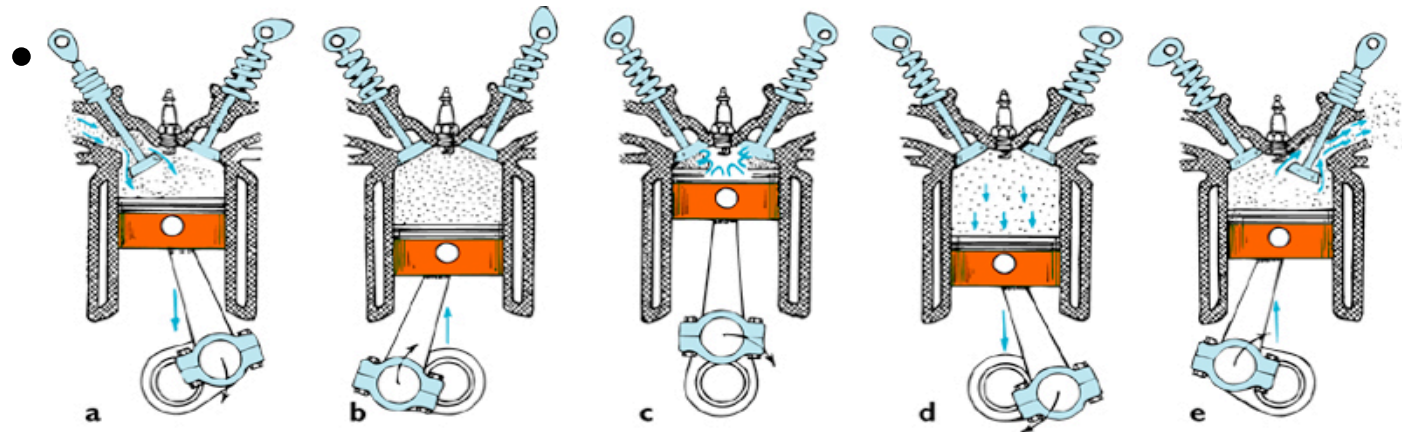
Putting it all together - The ideal gas law

- $PV = nRT$
 - P = pressure in Pascal, V = volume in m^3
 - n = number of mols, T = temperature in K
 - $R = 8.3 \text{ J/mol/K}$ universal (gas) constant
- $E_{\text{internal}} = \frac{3}{2} nRT$
($\frac{1}{2}$ for each direction of space = degree of freedom)
- $\Delta E_{\text{internal}} = P(-\Delta V) + \text{Heat added}$
- Example: Volume of 1 mol of air at 0°C and normal atmospheric pressure = 22.4 liters

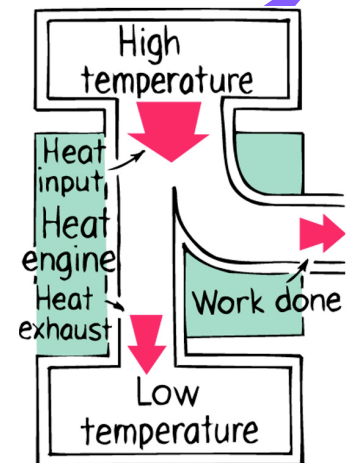
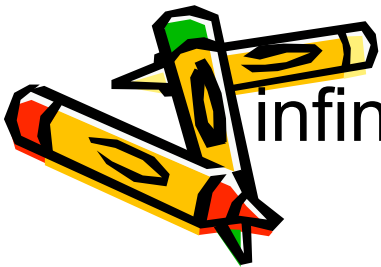


Heat engines

- Any device that converts **some** of the heat transferred to it into mechanical work



- Physicists dream engine:
“Perfectly reversible Carnot Machine”
(as efficient as possible, but runs infinitely slowly...)



The hitch: Need low T “heat exhaust” (reservoir)

- Why?
 - Example hot gas turbine: You have to cool gas down **after** turbine to avoid “back pressure” (or machine comes to a halt)
 - Heat input at T_{hot} , heat exhaust at T_{cool} => at most $1 - T_{\text{cool}}/T_{\text{hot}}$ of heat can be converted to useful work; rest ($T_{\text{cool}}/T_{\text{hot}}$) is exhaust heat (Sadi Carnot)
 - Car engine: exhaust simply gets blown into (colder) atmosphere; limit on efficiency (50% theor., 25% in practice)



Cooling engine (refrigerator, AC, heat pump) = heat engine in reverse: Move heat from cold reservoir to hot reservoir; requires mechanical energy input (less than generated heat output!)



=> 2nd Law of Thermodynamics

Many equivalent formulations - e.g. the following:

1. No machine can simply convert heat into work without exhausting heat into a colder reservoir; no machine can beat the Carnot efficiency
2. Heat can never flow spontaneously from cold to warm without external input of work
3. Entropy^{*)} can never decrease; it always tends to increase over time (e.g. when heat flows from warm to cold); “you can’t get even”



*) Entropy = measure of disorder; the more different states a system can be in (compatible with “macroscopic” observables), the higher its entropy. All closed systems move towards maximal entropy

